# Enumeration of curves on K3 surfaces by polyhedral degenerations 

Let $(S, L)$ be a primitively polarized K 3 surface, $k$ an integer. Integral curves of geometric genus $g$ in the linear system $|k L|$ form a family of dimension $g$ (if non-empty).<br>One wants to count the number of such curves passing through $g$ general points fixed on $S$.<br>Gromov-Witten theory provides a complete answer to this question when $k=1$, but poses serious problems when $k>1$. I shall present an approach based upon degenerating the surface $S$ immersed by the system $|k L|$ in a union of planes incarnating a triangulation of the $S^{2}$ sphere.<br>This is a joint project with Ciro Ciliberto.

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