# LOCALIZING INVARIANTS AND K-THEORY – REFERENCES

GEORG TAMME

- *Localizing invariants in general*: …and non-commutative motives [BGT], [# 9, App. A]
- *K-theory is localizing*: Waldhausen's localization theorem for connective $K$-theory [W], non-connective $K$-theory of schemes [TT], non-connective $K$-theory of exact categories [S], for stable $\infty$-categories [BGT], direct proof using only $\infty$-categorical methods [HLS]
- *Thomason–Neeman localization theorem*: Original sources: [TT, N1], modern account: [NS, §I.3].
- *Compact generation of $D_{qc}(X)$ :* for $X$ qc separated scheme [N2], for $X$ qcqs scheme [BvdB], for X qcqs spectral algebraic space [CMNN]
- *$\odot$-ring*: oriented fiber products [T1], $\odot$-ring, truncating invariants and applications [LT]
- *cdh- and pro-cdh-descent*: pro-cdh descent for $K$-theory: first paper, with more assumptions [M], general, Noetherian case [KST]; stronger pro-cdh descent for localizing invariants for Noetherian stacks [BKRS]. cdh-descent for truncating invariants [LT, App. A].

## References


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