

# A general comparison between the solutions generated by the FVC scheme and different exact solutions

jeudi 3 décembre 2020 12:00 (30 minutes)

Hydrodynamic transport problems often take the form of hyperbolic conservation law systems (see e.g. [6, 5]). In this work we will focus on the Saint-Venant system which is still the utmost important model in maritime or fluvial hydraulics simulations, it governs the free surface shallow water flows. It was obtained from Navier-Stokes equations using adequate assumptions see [7]. Due to their widely recognized experimental validity and numerical efficiency, the Saint-Venant equations are now widely used for many current simulations: environmental protection, environmental pollution, natural disasters, climate change, dam failure, tidal calculations, flood studies, sedimentology, etc. We are mainly interested in the numerical resolution of this system using a robust scheme called FVC. This scheme is accurate, conservative and solve the non-linear conservation laws without Riemann Solvers, it has been presented in several works e.g. [8, 3, 2].

In this paper, we will compare our FVC approach, using unstructured 2-D meshes, to some exact solutions for shallow water system, present in the literature, under the influence of the gravity, the Coriolis force, and other frictional forces effects see [4, 1].

Key-words: Shallow water system, Free surface flows, Finite volume method, Exact solutions , FVC.

## References:

- [1] F. Alcrudo and F. Benkhaldoun. Exact solutions to the riemann problem of the shallow water equations Computers & Fluids, 30(6):643{671, 2001.
- [2] F. Benkhaldoun, S. Sari, and M. Seaid. Projection finite volume method for shallow water flows. Mathematics and computers in simulation, 118:87{101, 2015.
- [3] F. Benkhaldoun and M. Seaid. A simple finite volume method for the shallow water equations. Journal of computational and applied mathematics, 234(1):58{72, 2010.
- [4] O. Delestre, C. Lucas, P.-A. Ksinant, F. Darboux, C. Laguerre, T.-N.-T. Vo, F. James, and S. Cordier. Swashes: a compilation of shallow water analytic solutions. International Journal for Numerical Methods in Fluids, 72(3):269{300, 2013.
- [5] E. Godlewski and P.-A. Raviart. Numerical approximation of hyperbolic systems of conservation laws, volume 118. Springer, 1996.
- [6] R. J. LeVeque and R. J. Leveque. Numerical methods for conservation laws, volume 132. Springer, 1992.
- [7] A. d. Saint-Venant, D. Barre, J. Saint-Cyr, V. de Saint, AA. SAINT-VENANT, D. BARRE, and J. Saint-du mouvement non-permanent des eaux, avec application aux crues des rivières et à l'introduction. 1871.
- [8] M. Ziggaf, M. Boubekeur, F. Benkhaldoun, I. El Mahi, et al. The fvc scheme on unstructured meshes for the two-dimensional shallow water equations. In International Conference on FV for Complex Applications, pages 455{465. Springer, 2020.

**Auteurs principaux:** ZIGGAF, Moussa (LAGA, Université Sorbonne Paris Nord, CNRS, UMR 7539, F-93430, Villetteuse, France/ENSAO, LM2N, Complexe Universitaire, B.P. 669, 60000 Oujda, Morocco.); Prof. KISSAMI , Imad (MSDA Laboratory, University Mohammed VI Polytechnic, Benguerir, Morocco.)

**Co-auteurs:** Dr BOUBEKEUR, Mohamed (LAGA, Université Sorbonne Paris Nord, CNRS, UMR 7539, F-93430, Villetteuse, France.); Prof. BENKHALDOUN, Fayssal (LAGA, Université Sorbonne Paris Nord, CNRS, UMR 7539, F-93430, Villetteuse, France.)

**Orateurs:** Prof. KISSAMI , Imad (MSDA Laboratory, University Mohammed VI Polytechnic, Benguerir, Morocco.); Prof. BENKHALDOUN, Fayssal (LAGA, Université Sorbonne Paris Nord, CNRS, UMR 7539, F-93430, Villetteuse, France.)

**Classification de Session:** Session parallèle 3