



ID de Contribution: 10

Type: Non spécifié

## Density of translates in weighted $L^p$ spaces on locally compact groups

*lundi 3 avril 2017 17:30 (45 minutes)*

Let  $G$  be a locally compact group, and let  $1 \leq p < \infty$ . Consider the weighted  $L^p$ -space  $L^p(G, \omega) = \{f : \int |f\omega|^p < \infty\}$ , where  $\omega : G \rightarrow$

$\mathbb{R}$  is a

positive measurable function. Under appropriate conditions on  $\omega$ ,  $G$  acts on  $L^p(G, \omega)$  by translations. When is this action hypercyclic, that is, there is a function in this space such that the set of all its translations is dense in  $L^p(G, \omega)$ ? H.Salas (1995) gave a criterion of hypercyclicity in the case  $G =$

$\mathbb{Z}$ . Under mild assumptions, we present a corresponding

characterization for a general locally compact group  $G$ . Our results are obtained in a more general setting when the translations only by a subset  $S \subset G$  are considered.

Joint work with E. Abakumov (Paris-Est).

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