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UNIVERSITÉ
Clermont Auvergne



Gradual Patterns for Explainable AI

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**I-SITE
CLERMONT**
Clermont Auvergne Project



Outline



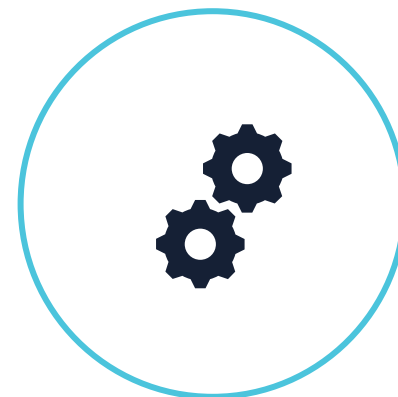
Context & Motivation



Background: Gradual
Patterns



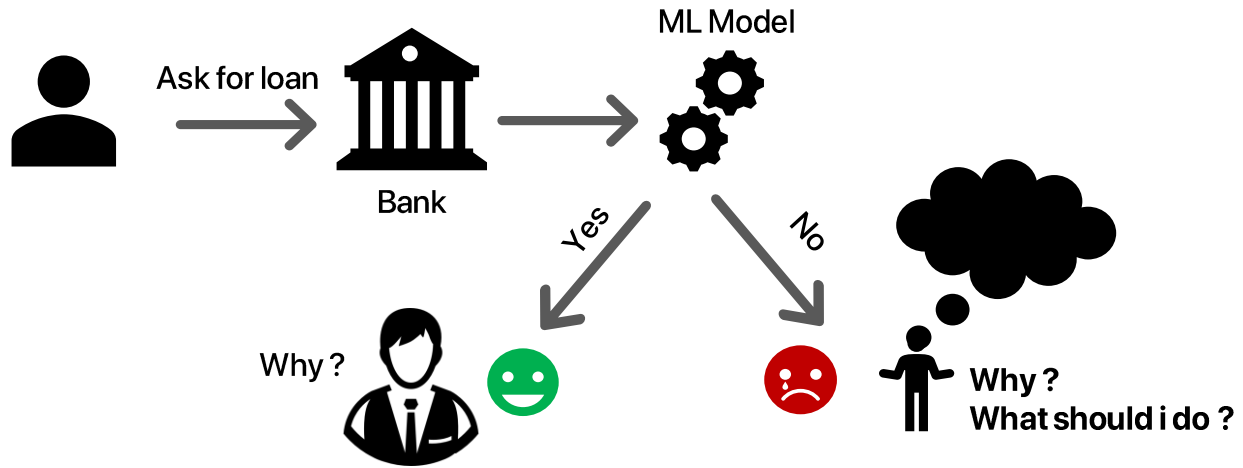
GP-Based Neighborhood
Generation



Experiments, results
and discussion

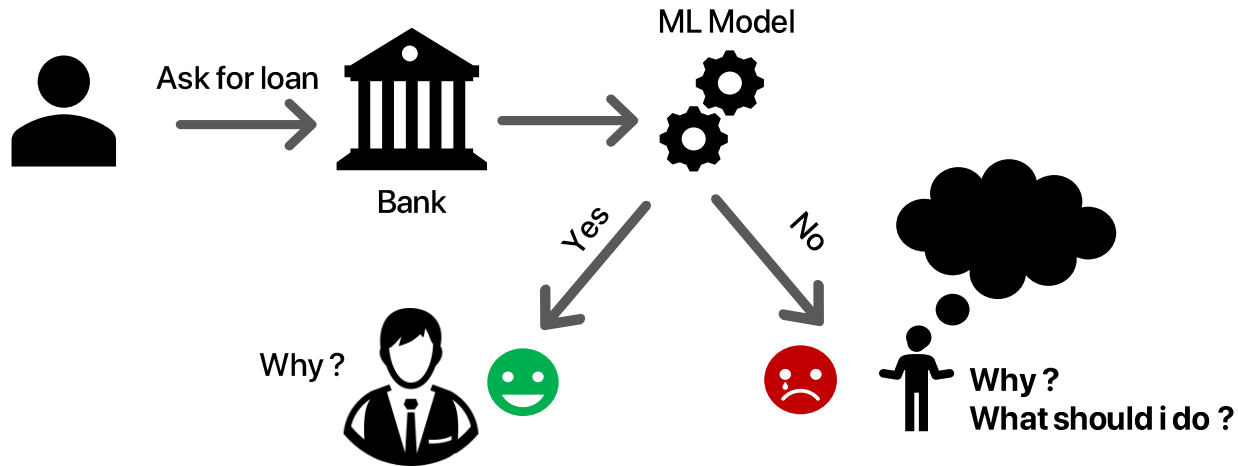


Context





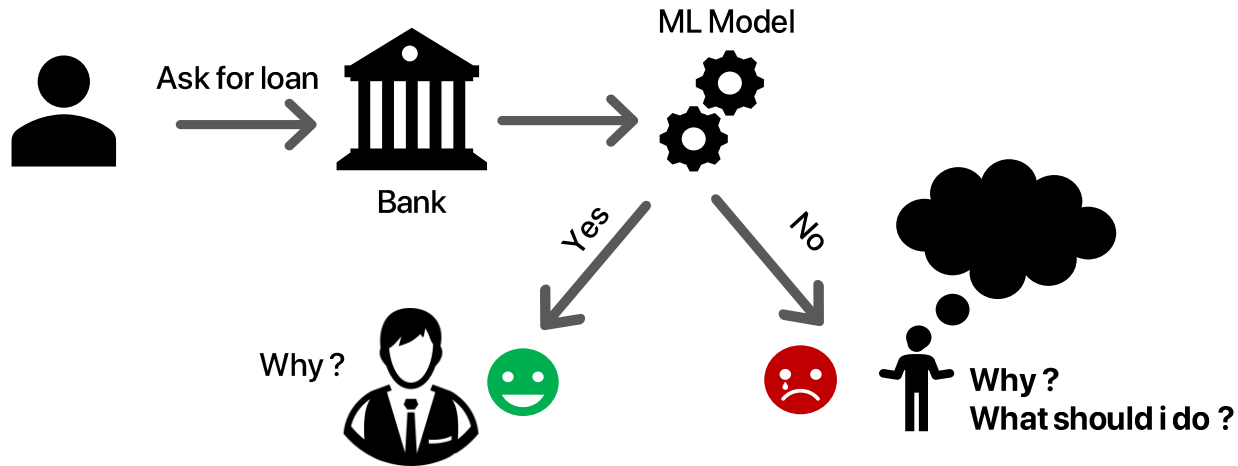
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But the most models are black box (Random Forest, XGBoost, Neural Network)



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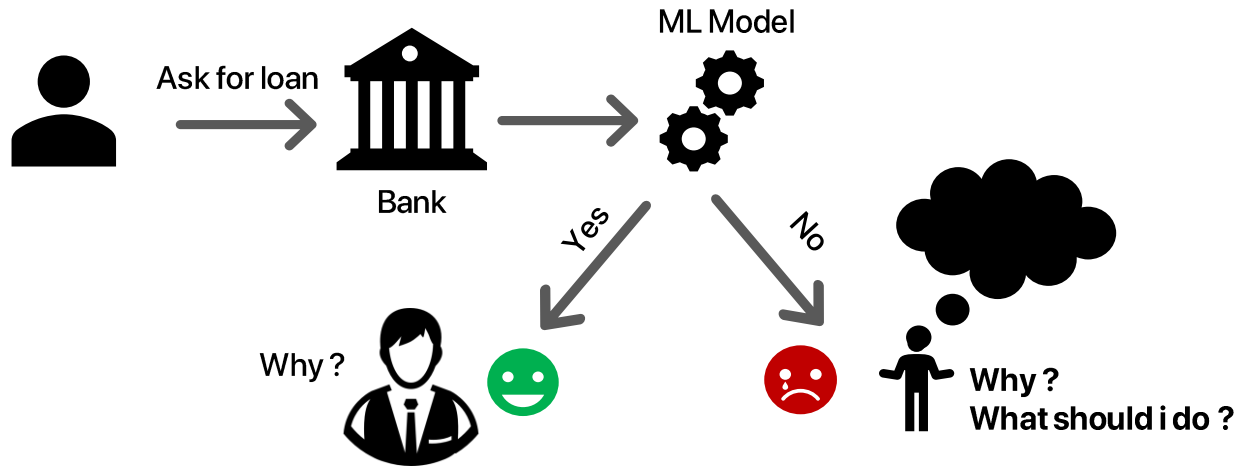


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XAI can help in both questions



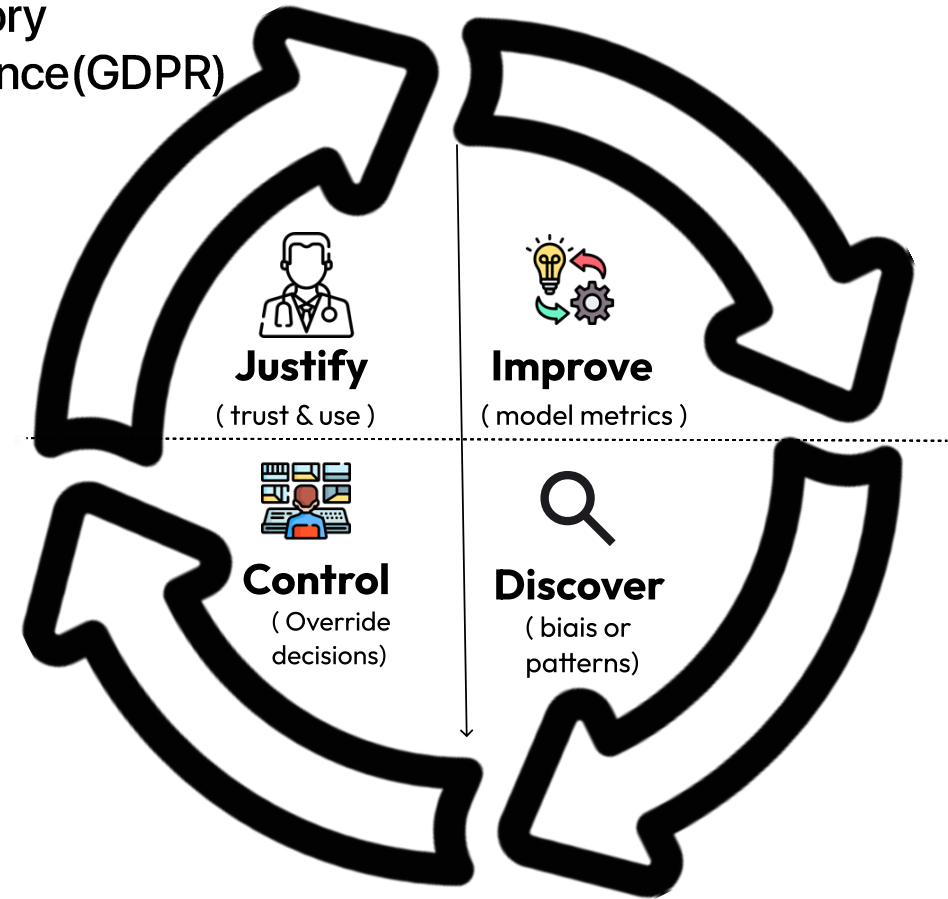
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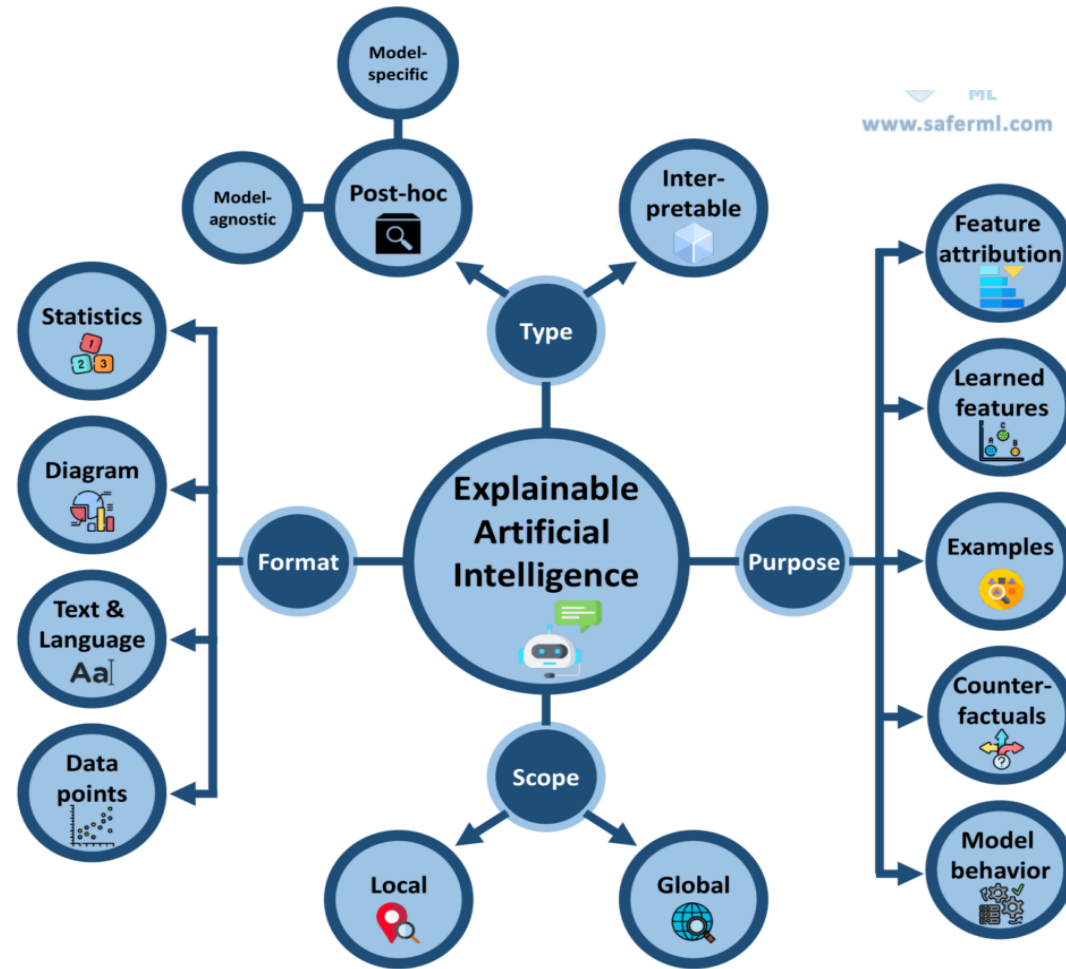
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Regulatory Compliance(GDPR)



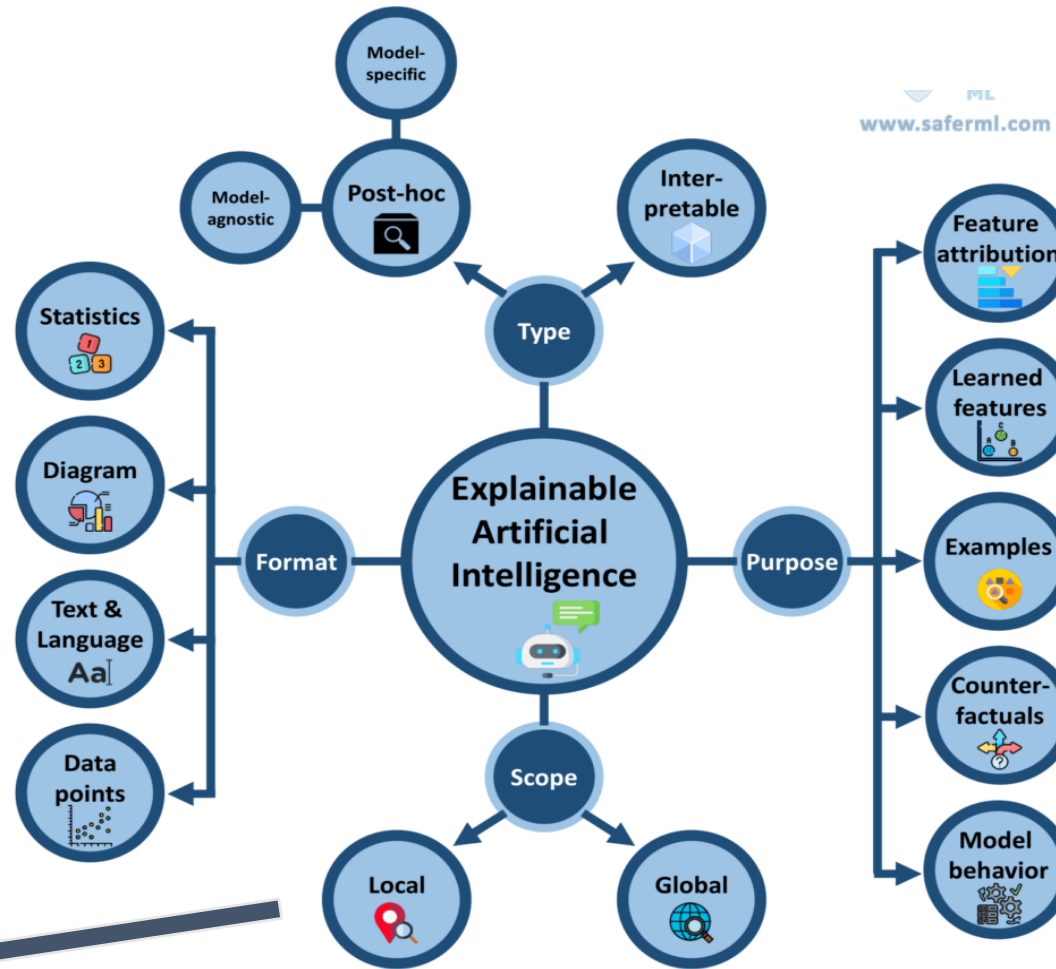


Context





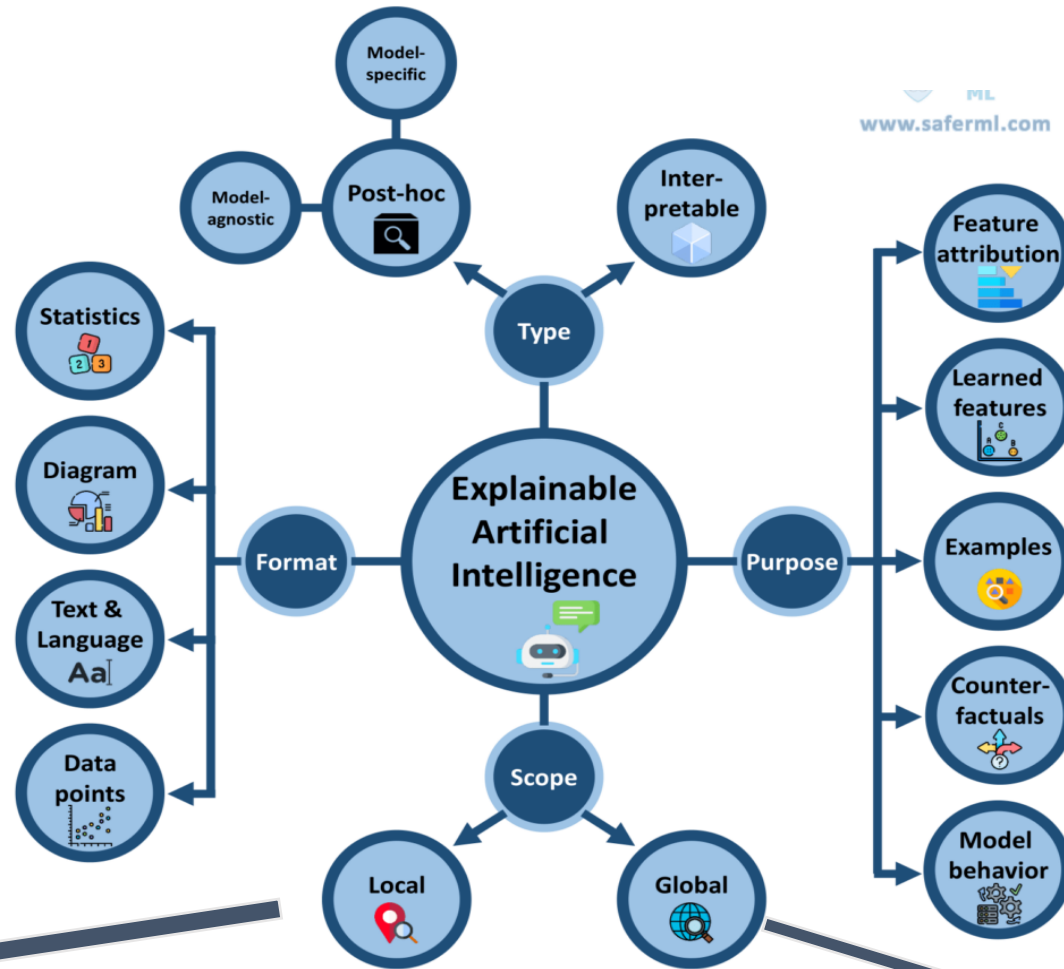
Context



Explain prediction for one observation



Context

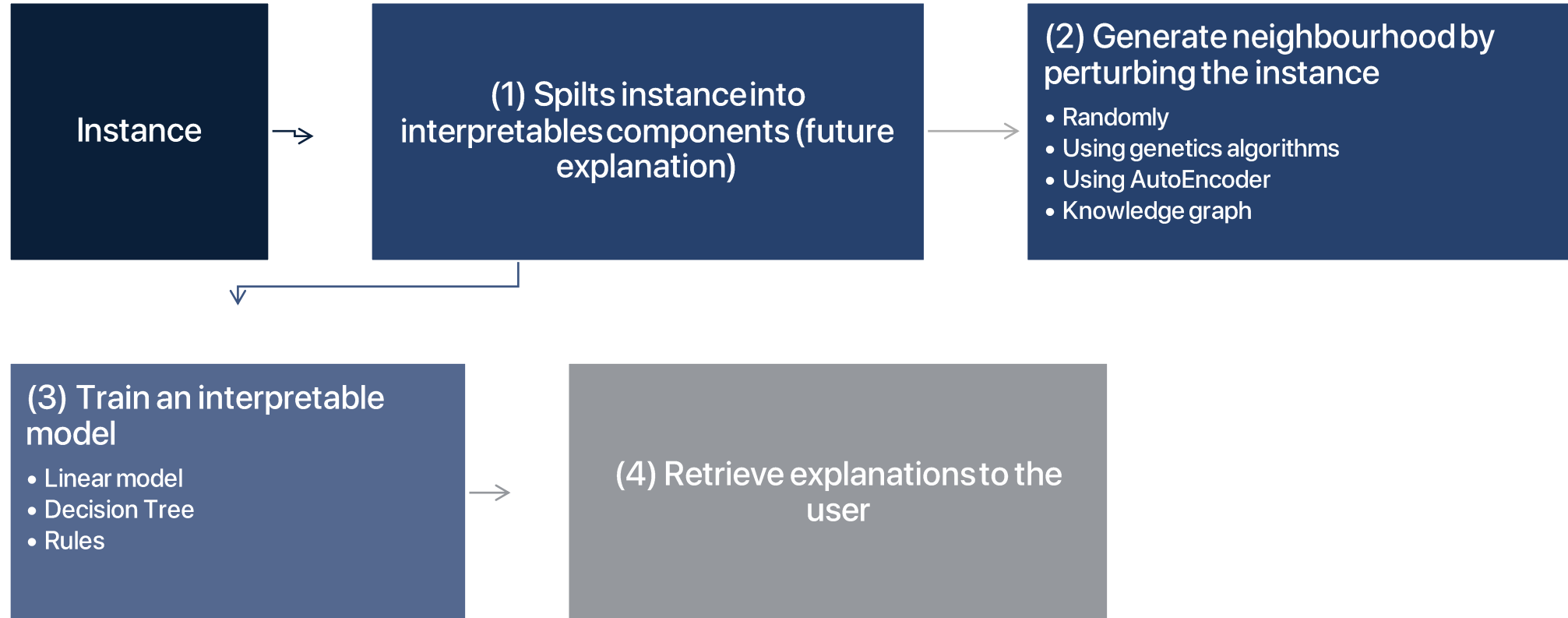


Explain prediction for one observation

Explain prediction for a set of observations. Useful to debug a model

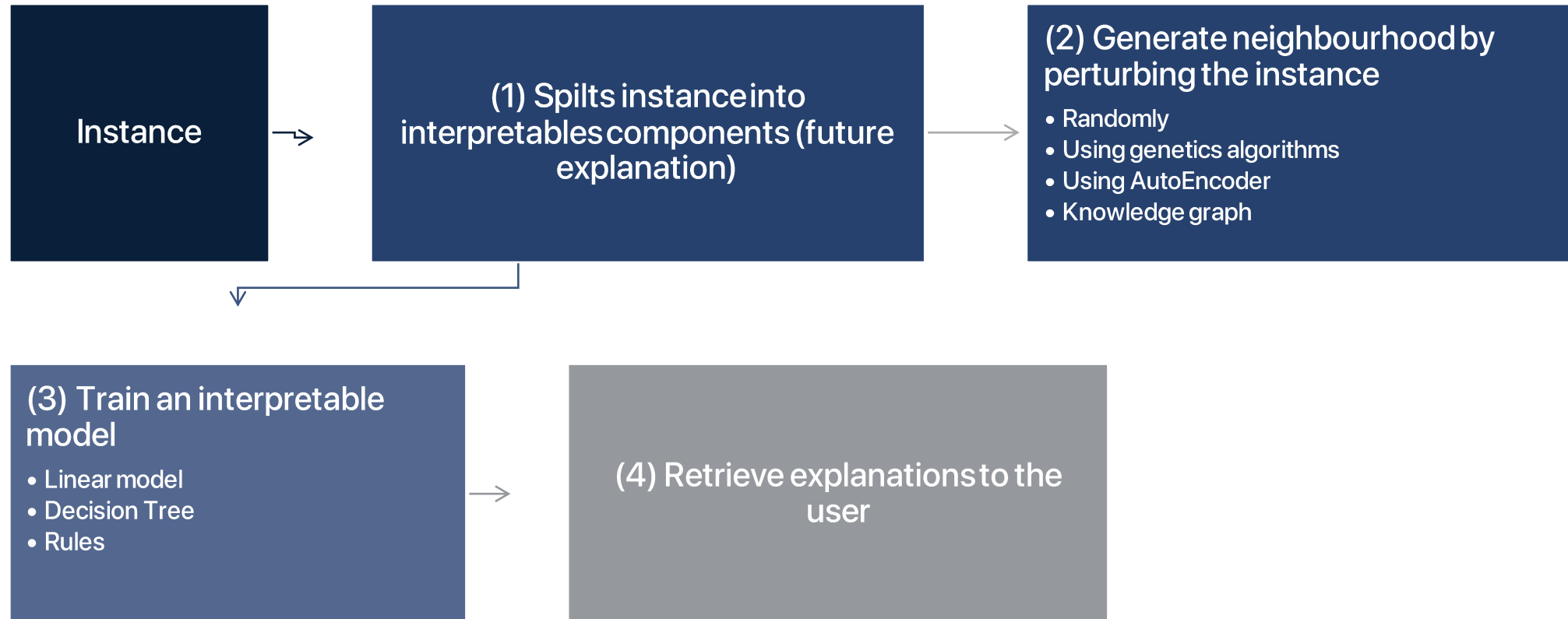


Context





Context



Local Interpretable Model-agnostic Explanations ~ LIME
(Ribeiro et al., 2016)

SHapley Additive exPlanation ~ SHAP
(Lundberg & Lee, 2017)

LOcal Rule-based Explanations ~ LORE
(Guidotti et al., 2018)

Anchors
(Ribeiro et al., 2018)



Limitations of Current XAI Methods

Instability

Same instance, same model, different runs
= **DIFFERENT** explanations!

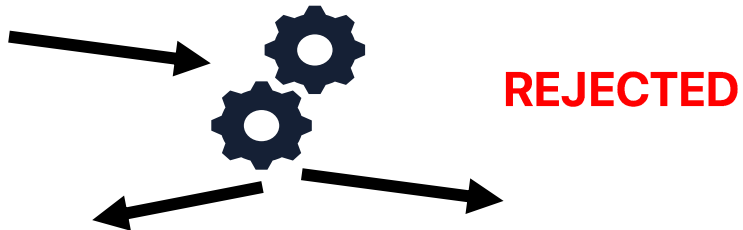


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```
Alice:{  
  "Income": 52000, "CreditScore": 645, "DebtRatio": 0.42,  
  "EmploymentYears": 3.5, "Age": 34, "LoanAmount": 28000  
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```



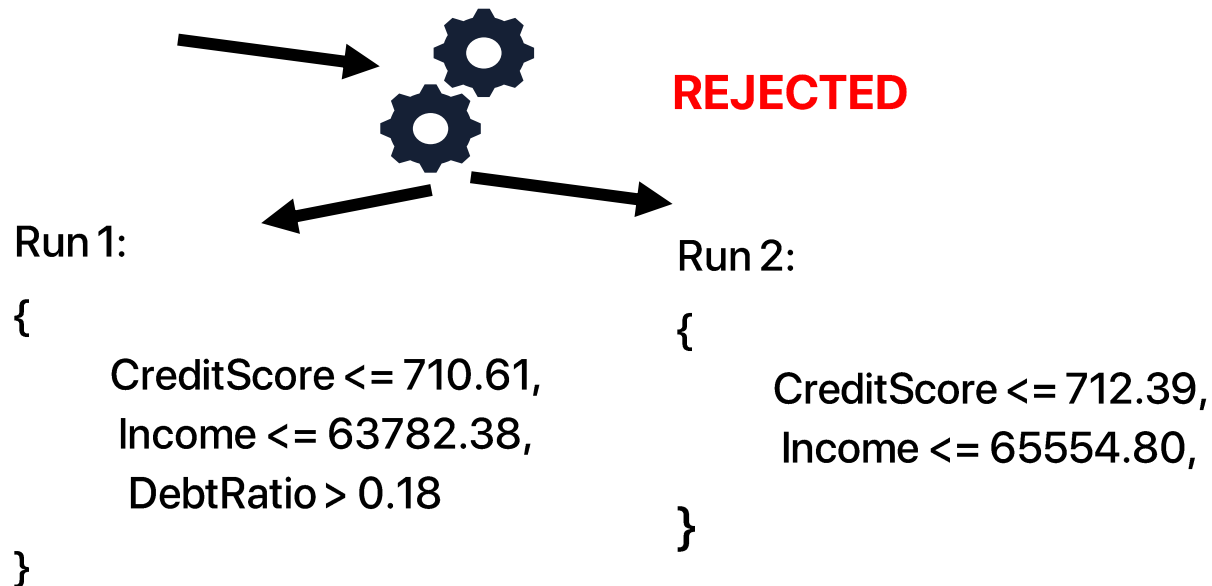


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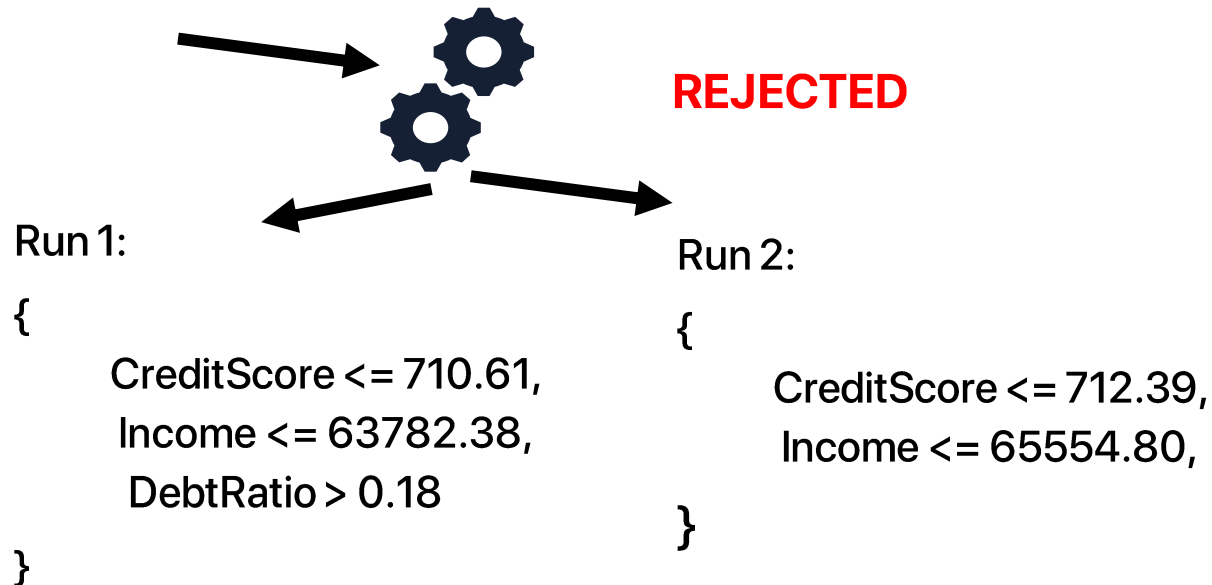


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Unrealistic neighborhoods

Random perturbations create impossible combinations

Random perturbation might generate:

Income = \$150,000 (very high)

Credit Score = 300 (very low)

Debt Ratio = 0.1 (very low)



Gradual patterns

Gradual Patterns capture data relationships:

"The more X increases, the more Y increases/decreases"

ID	Income	DebtRatio	CreditScore
T1	100k	0.50	1000
T2	80k	0.62	900
T3	60k	1.20	800
T4	90k	0.65	950

A **gradual item** is a pair (i, v) in which i is one attribute and v its associated variation, with $v \in \{\uparrow, \downarrow\}$. **Ex:** $(Income, \downarrow)$

A **gradual pattern** G is a set of gradual items. $G = \{(i_1, v_1), \dots, (i_n, v_n)\}$. **Ex:** $G_1 = \{(Income, \downarrow), (DebtRatio, \uparrow)\}$

They are represented by a binary matrix to capture relationship between data



Gradual patterns

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They are represented by a binary matrix to capture relationship between data

The support of a gradual pattern represents the weight of this pattern.

\uparrow	t1	t2	t3	t4
t1	0	1	1	1
t2	0	0	1	0
t3	0	0	0	0
t4	0	1	1	0

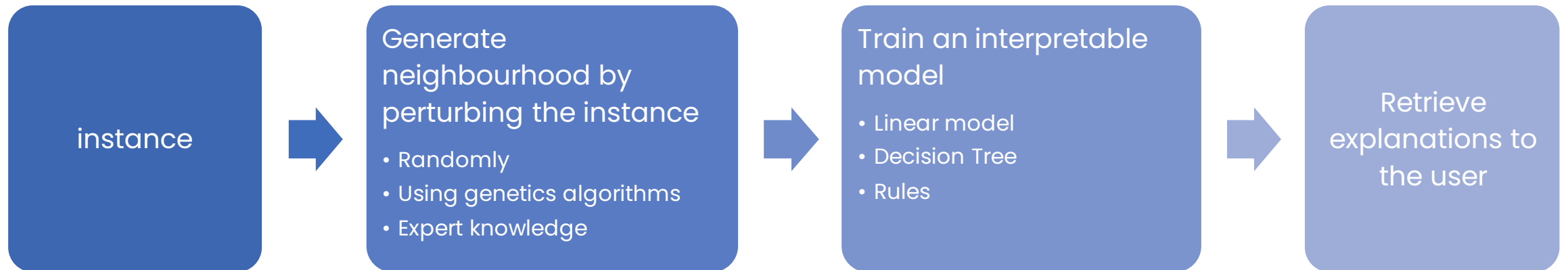
(Income, ↓)

$$\{G \mid \text{sup}(G) \geq \text{minSupp}\}$$

Paraminer (Negrevergne et al. 2014)

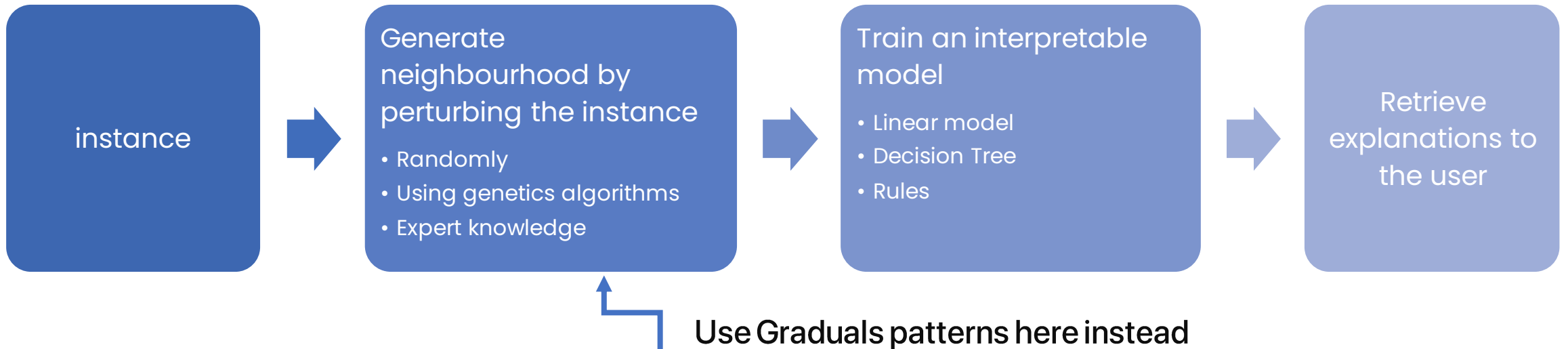


Gradual Patterns Based Neighborhood Generation





Gradual Patterns Based Neighborhood Generation





Gradual Patterns Based Neighborhood Generation

Given a dataset generate GP with threshold = 0.7 training dataset
Decrease the threshold until i found a pattern of size 2

Algorithm 1 GP-Based Neighborhood Generation

Require: Instance x , Patterns GP s, Blackbox f

Ensure: Neighborhood $\mathcal{N}(x)$

```
1:  $\mathcal{N} \leftarrow \emptyset$ 
2: for  $GP \in GP$ s do
3:   Select attributes  $i_1, \dots, i_k$  of  $GP$ 
4:   for  $\alpha \in \{0.5, 1.0, 1.5\}$  do
5:      $x' \leftarrow \text{Perturb}(x, (i_1, \dots, i_k), \alpha)$ 
6:      $\mathcal{N} \leftarrow \mathcal{N} \cup \{(x', f(x'))\}$ 
7:   end for
8: end for
9: return  $\mathcal{N}$ 
```

Generate neighbors by following pattern directions

$$x' = x \pm \alpha \cdot \sigma$$



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Example:

- Instance $x = \{\text{Income}=\$50\text{k}, \text{CreditScore}=650, \text{DebtRatio}=0.4\}$
- Pattern $G = \{(\text{Income}, \uparrow), (\text{CreditScore}, \uparrow)\}$

Generate variations:

- Positive (+1 sigma) = $\{\text{Income}=\$54,500, \text{CreditScore}=715, \text{DebtRatio}=0.4\}$
- Negative (-0.5 sigma) = $\{\text{Income}=\$47,750, \text{CreditScore}=618, \text{DebtRatio}=0.4\}$



Gradual Patterns Based Neighborhood Generation

Key Properties

- Statistical significance
- Plausibility (values within observed ranges)
- Deterministic (no randomness)



Experiments

- Compare Neighborhood generated, execution time, stability
- **Material:**
Processor: Intel Xeon Silver (64 cores), 512 GB RAM running Ubuntu 22.04.4 LTS

- **Datasets used**

Dataset	Instances	Features	Domain
Adult Income	48,842	14	Income prediction
German Credit	1,000	20	Credit scoring
COMPAS	4,000	10	Recidivism risk

- **Models used**

Dataset	Random Forest	XGBoost
Adult Income	0.86	0.87
German Credit	0.66	0.73
COMPAS	0.81	0.78



Source code



Results : Stability

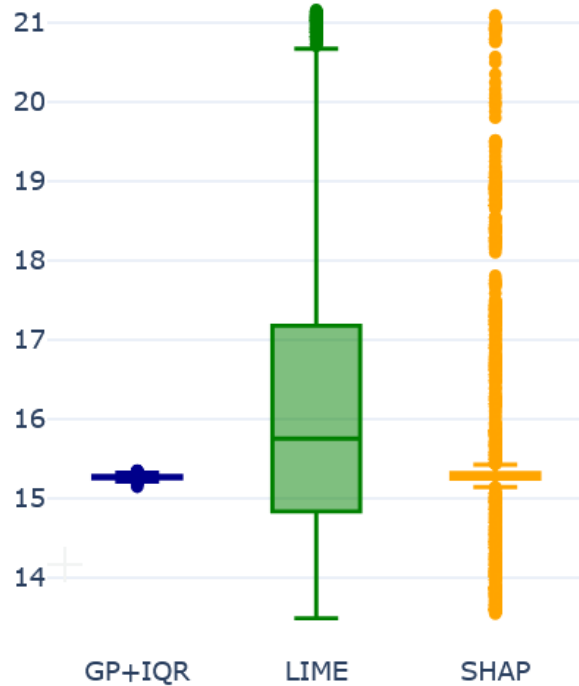
- Jaccard similarity

$$\text{Stability} = J(S_1, \dots, S_n) = \frac{|\bigcap_{i=1}^n S_i|}{|\bigcup_{i=1}^n S_i|}$$

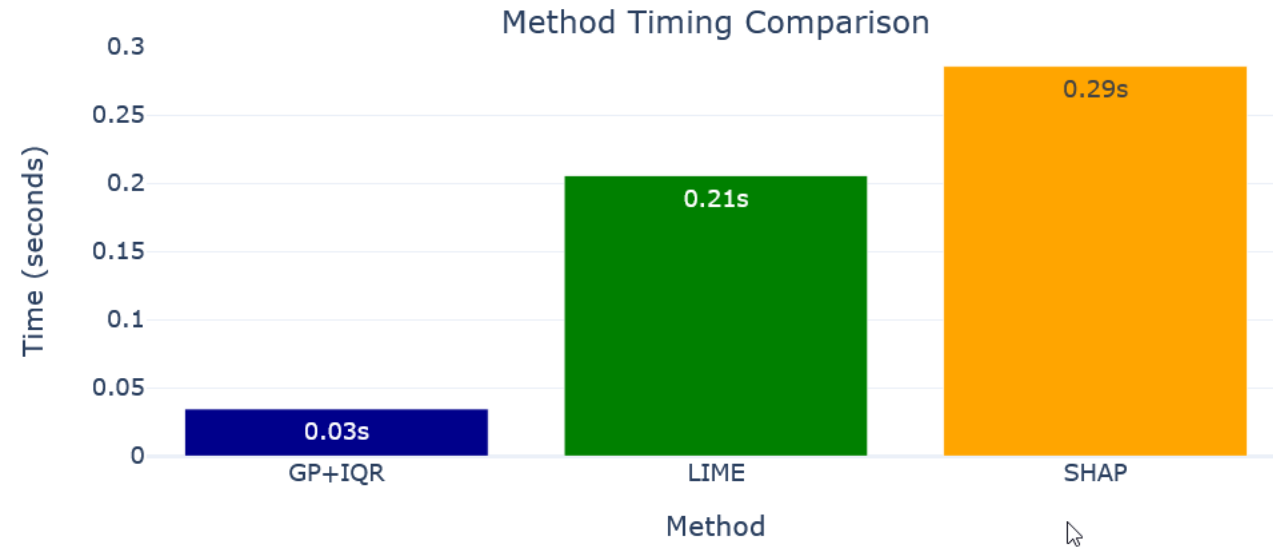
Dataset	LIME	LORE	SHAP	Ours
Adult	0.6	0.87	0.65	1.0
COMPAS	0.6	0.90	0.8	1.0
German	0.7	0.95	0.7	1.0



Results : Adult dataset



Distance



Executiontime



Impact on LORE and Anchors

Benefits:

- More coherent rules: grounded in realistic feature relationships
- Reduced search space: pattern-guided perturbations converge faster
- Higher precision : rules validated within realistic neighborhoods

Alice's Loan rejection

Income=\$52k, CreditScore=645, DebtRatio=0.42, LoanAmount = 28000

LORE with genetic algorithm

{CreditScore <= 712.39, Income <= 65554.80} |

"Increase Income to \$85k AND DebtRatio to 0.5 AND reduce loanAmount to 27000" (contradictory)

LORE with Gradual patterns

{CreditScore <= 680, Income <= 55000} |

"Increase Income to \$58k AND reduce DebtRatio to 0.35"



Discussion

Advantages:

- Deterministic explanations which ensure stability
- faster computation
- Realistic neighborhoods - respects data structure

Limitations:

- Currently focused on numerical tabular data
- Depends on existence of meaningful gradual patterns



Conclusion and perspectives

Summary:

- Introduced gradual pattern-based neighborhood generation for XAI
- Achieved perfect stability (Jaccard = 1.0) with speedup
- Produced more realistic, trustworthy explanations

Future Work:

- Extend this work on time-series data



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"Explainable AI reveals how models arrive at their predictions, but it does not uncover the true causal mechanisms in the world."

Thanks



State of the art: GRITE

(Di-Jorio et al., 2009)

Gradual Pattern Extraction Algorithm:

1. Initialization

- Construct the binary order matrices for each attribute (i, \uparrow) and (i, \downarrow)
- $\text{gradPattern}[1] = \{\text{gradual item}\}$
- $k = 2$

2. Main loop

As long as $\text{gradPattern}[k-1]$ is not empty:

- Generate candidates: $\text{candidates} = \text{Union}(\text{gradPattern}[k-1])$
- Validate candidates: $\text{gradPattern}[k] = \text{validate}(\text{candidates}, \text{minSup})$
- Increment k : $k += 1$

3. Final result

Return the union of all gradPattern : $\text{return } \cup \text{gradPattern}$

M1 AND M2

- Construct a directed graph from the matrix M
- Calculate the length of all paths, the maximum length is the absolute frequency.

•**Gradual Pattern Extraction Algorithm:**

- Compute the closure of the empty pattern \perp :
- $P \leftarrow closure(\perp, D)$
- Initialize the exclusion list $EL \leftarrow \emptyset$.
- Explore closed patterns from P:
 - $C \leftarrow enum_clo(P, EL)$
- Return the set of closed patterns CC .

